

Write a code to compute the correlation function  $\xi(r)$  for a set of points. Use the following estimator:  $\xi(r) = \left(\frac{N_R}{N_D}\right)^2 \frac{DD(r)}{RR(r)} - 1$ , where  $N_D$  and  $N_R$  are the number of data and random points, respectively, and  $DD(r)$  and  $RR(r)$  are the pair counts as a function of separation  $r$  for data-data and random-random pairs, respectively. Compute  $\xi(r)$  in 15 logarithmic bins of separation in the range  $0.1 - 20h^{-1}\text{Mpc}$  (i.e., the first bin starts at  $\log r = -1$  and the last bin ends at  $\log r = 1.301$ ).

### Part 1

Compute  $\xi(r)$  for three SDSS mock galaxy samples:

- Galaxies with  $r$ -band absolute magnitudes brighter than -21 (in real space)
- Galaxies with  $r$ -band absolute magnitudes brighter than -20 (in real space)
- Galaxies with  $r$ -band absolute magnitudes brighter than -20 (in redshift space)

These galaxy samples are in data files that you can download from the course website:

[SDSS\\_Mr21\\_rspace.dat](#), [SDSS\\_Mr20\\_rspace.dat](#), [SDSS\\_Mr20\\_zspace.dat](#)

The file containing random points is:

[SDSS\\_random.dat](#)

These files contain galaxy positions in spherical coordinates:  $(RA, DEC, z)$ , where  $RA$  and  $DEC$  are the galaxies' coordinates on the sky in degrees, and  $z$  is the redshift. All the samples are limited to the redshift range  $0.02 \leq z \leq 0.06$  and to the sky coverage of the SDSS.

Make the following plots:

- $\log \xi(r)$  vs.  $\log r$  for the two real-space galaxy samples of different luminosity:  $M_r < -20$  and  $-21$ . (*Show both curves on the same plot*)
- $\log \xi(r)$  vs.  $\log r$  for the real-space compared to the redshift-space galaxy samples with  $M_r < -20$ . (*Show both curves on the same plot*)

Discuss the difference between the correlation functions in plot **b.** in light of what you have learned about redshift-space distortions.

### Part 2

Now use your code to compute  $\xi(r)$  for dark matter (DM) in a N-body simulation. The DM data file is [DM.dat](#) and the DM random file is [DM\\_random.dat](#)

These files contain DM particle positions in Cartesian coordinates in  $h^{-1}\text{Mpc}$ :  $(x, y, z)$ .

The size of the simulation cube is  $141.3h^{-1}\text{Mpc}$ .

Compute the bias function for galaxies with  $M_r < -20$  and  $-21$  (in real space):

$$b(r) = \sqrt{\frac{\xi_{gal}(r)}{\xi_{DM}(r)}}$$

Make the following plot:

c.  $b(r)$  vs.  $\log r$  for the two luminosities. (*Show both curves on the same plot*)

Discuss the shape of the bias function for the two galaxy samples.

At what scales does the bias become approximately scale-independent?

What is the approximate large-scale bias factor for galaxies with  $M_r < -20$  and  $M_r < -21$ ?

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### Part 3 – extra credit

Estimate Poisson errors for the correlation function. Re-make plot **a.** from part 1, including these errorbars.

What limits the range of scales that  $\xi(r)$  can be measured on with these data-sets? Can it be measured on arbitrarily small or large scales? Why or why not?